

DEFINITION OF INERTIAL GRAVITATIONAL RADIATION

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The tetrad treatment of the general theory of relativity has been used in the following representation of gravitational inertial radiation. Near point x in space-time there exists radiation if

$$(G_i G^i - I_i I^i)(x) = 0, (G_i I^i)(x) = 0, G_i(x) \neq 0, I_i(x) \neq 0,$$

where

$$G^i = -c^2 h^{i(s)} h_{(s);k}^k, I^i = \frac{c^2}{2} h_{(a)}^i \epsilon^{(j\rho m a)} h_{(\rho)}^t \frac{\partial h_{(l)t}}{\partial x^k} h_{(\rho)}^t \frac{\partial h_{(j)t}}{\partial x^k} h_{(m)}^k.$$

Here $h_{(a)}^i$ denotes vector a of the tetrad, while $\epsilon^{(i\rho l a)}$ is the Levi - Civita symbol in the special theory of relativity.

It is shown that this definition is largely analogous to the definition of radiation in the electrodynamics. The quantities G_i and I_i incorporate the interaction of a fermion with the gravitational field. This follows also from an analysis of Dirac's equation.